

## SAMPLE PAPER 7: PAPER 1

### QUESTION 7 (50 MARKS)

#### Question 7 (a)

$$P = \text{€}60\,000, t = 5 \text{ years}, i = 0.065$$

$$A = 60\,000 \left( \frac{0.065(1.065)^5}{(1.065)^5 - 1} \right) = \text{€}14\,438.07$$

$$A = P \frac{i(1+i)^t}{(1+i)^t - 1}$$

#### Question 7 (b)

Payment #	Fixed Payment	Interest	Debt Payment	Balance
0				€60 000
1	€14 438.07	€3900	€10 538.07	€49 461.93
2	€14 438.07	€3215.03	€11 223.04	€38 238.89
3	€14 438.07	€2485.53	€11 952.54	€26 286.35
4	€14 438.07	€1708.61	€12 729.46	€13 556.89
5	€14 438.07	€881.20	€13 556.87	0

#### CALCULATION FOR YEAR 1

Payment Number 1: €14 438.07

Interest: €60 000 × 0.065 = €3900

Debt Payment: €14 438.07 – €3900.00 = €10 538.07

Balance: €60 000 – €10 538.07 = €49 461.93

#### Question 7 (c) (i)

$$P = \frac{5000}{(1.045)^8} = \text{€}3515.93$$

$$P = \frac{F}{(1+i)^t}$$

#### Question 7 (c) (ii)

$$P = 250 + \frac{250}{1.045^1} + \frac{250}{1.045^2} + \frac{250}{1.045^3} + \frac{250}{1.045^4} + \frac{250}{1.045^5} + \frac{250}{1.045^6} + \frac{250}{1.045^7}$$

$$P = 250 \left( 1 + \frac{1}{1.045^1} + \frac{1}{1.045^2} + \frac{1}{1.045^3} + \frac{1}{1.045^4} + \frac{1}{1.045^5} + \frac{1}{1.045^6} + \frac{1}{1.045^7} \right)$$

$$a = 1, r = \frac{1}{1.045}, n = 8$$

$$\therefore P = 250 \left( \frac{\left( 1 - \left( \frac{1}{1.045} \right)^8 \right)}{1 - \frac{1}{1.045}} \right) = \text{€}1723.18$$

#### Question 7 (c) (iii)

Minimum price = €3515.93 + €1723.18 = €5239.11

Minimum price bonds can be offered is €5239 to the nearest euro.